Stabilization of Beam Instabilities by Intra-Bunch Feedback System at J-PARC MR*

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Transverse Instabilities and Intra-Bunch Feedback System

Instabilities and Feedback System at J-PARC MR

The present bunch-by-bunch feedback system (BxB FB) at MR effectively suppresses observed transverse dipole oscillations, together with help from the chromaticities, allowing to attain the 230 kW beam power.



Bunch by Bunch vs. Intra-Bunch FB

The BxB FB can damp only the dipole oscillations of the center of mass motions of the whole bunches.

- Even when it is on, internal bunch oscillations have been still observed, which are causing additional particle losses.
- To suppress intra-bunch oscillations, a more wideband and elaborate feedback system has been developed.
 - The new intra-bunch feedback system divides an RF bucket into 64 segments (~10ns long).

 It acts on each segment (bin) as if it is a small bunch (bunchlet) in a narrowband mode, even if it is empty.

BPM signals 9/10/2014 Bunch by bunch Kick signals Intra-Bunch FB, Chin



Exponentially Tapered Electrodes

A new stripline BPM for the intra-bunch feedback system for J-PARC MR has exponentially tapered electrodes for an improved frequency response, compared to rectangular ones (Linnecar, CERN-SPS).



Main Parameters

	@Routine Operation	@Beam Test in May
Circumference	1568m	
Energy	3-30GeV	3GeV
Repetition Period		2.48s
Beam Power	230kW (30GeV)	0.5 kW (3GeV)
RF Frequency	1.67-1.72MHz	1.67 MHz
Number of Bunches	8	1
Synchrotron Tune	0.002-0.0001	0.0017
Betatron Tune (hor./ver.)		22.41/20.75
Intensity (/pulse)	1.3×10 ¹⁴	2.7×10 ¹²
Bunch Length	50-200 ns	150-200 ns
Chromaticity (hor./ver.)	-4 / -1	+0.5/+1.2
Horizontal Feedback		BxB FB/Intra-bunch FB on/off
Vertical Feedback		BxB FB Always on

Horizontal Beam Tests on May 7

Single bunch, $N_b = 2.7 \times 10^{12}$



BxB off: Intra-Bunch off B×B on; Intra-Bunch off

BxB off; Intra-Bunch on



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Horizontal Oscillations inside a Bunch

BxB FB off and Intra-Bunch FB off

The large horizontal oscillations are excited around the 262th turn due to the mismatching field of the injection kicker magnets.



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On/Off of BxB and Intra-Bunch FBs



BxB on Intra-**Bunch off**

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Time Evolution of Oscillation Envelops at Every 100 Turns

BxB offIB off

B×B onIB off

BxB offIB on



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 Preliminary Results for Vertical Instabilities at Onset of Acceleration
 N_b=0.12×10¹³
 Vertical BxB off; IB off



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Vertical Intra-Bunch FB Turned On N_b=0.9×10¹³ Vertical BxB off; IB on



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More Tuning of IB FB and Help from Chromaticity Needed Still large particle losses observed during the acceleration in the case of (N_b=0.9x10¹³/IB on):



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Optimization of Stripline Electrode Shape for a Flatter Frequency Response

Exponential Electrode: Prototype and Measurement at SPS



Fig. 31b - Interior of directional coupler pick-up

(Linnecar, CERN-SPS-ARF-SPS/78/17)





Fig. 37 - Frequency response of sun signal from directional coupler pick-up 200 MHz/div 2.5 dB/div

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Frequency Response of a Rectangular Electrode (Length=1)





If the Electrode Becomes Very Narrow toward Downstream, the Leaving Bunch Will Not See it.
No pair of green image currents will be generated.





Transfer function:

$$F(\omega) = i\omega \int_0^{\frac{2l}{v}} \frac{1}{2}k(\frac{vt}{2})e^{-i\omega t}dt = \frac{i\omega}{v}\int_0^l k(z)e^{-i\frac{2\omega}{v}z}dz,$$

Example
 Linnecar's exponential electrode

$$k_{linnecar}(z) = k_0 e^{-\frac{az}{l}},$$

Transfer function

$$F_{linnecar}(\lambda) = \frac{k_0}{2} \left[\frac{i\lambda(1 - e^{-a - i\lambda})}{(a + i\lambda)} \right].$$

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Intra-Bunch FB, Chin

 $\lambda = \frac{2\omega l}{\nu}$

Improved Exponential Electrode

To make the end value of k(z) zero, let us subtract the end value k(l) from k(z):

$$k_{linnecar}^{new}(z) = k_0(\frac{e^{-\frac{az}{l}} - e^{-a}}{1 - e^{-a}}).$$

Transfer function

$$F_{linnecar}^{new}(\lambda) = \frac{k_0}{2} \left[\frac{a(1 - e^{-i\lambda}) + i(1 - e^a)\lambda}{(1 - e^a)(a + i\lambda)} \right].$$



Red: Improved exponential Blue: Original exponential

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 $2\omega l$

Blackman-Harris Window Function

Blackman-Harris window function for k(z)

$$k_{blackman-harris}(z) = k_0 (0.35875 - 0.48829 \cos[\pi(\frac{z}{l} - 1)] + 0.14128 \cos[2\pi(\frac{z}{l} - 1)] - 0.01168 \cos[3\pi(\frac{z}{l} - 1)]).$$



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Three Conditions for a Flat Response

- Zero value at the end
- Smooth tapering toward zero derivative at the end
- Negative derivative at the beginning

Polynomial Electrode

$$k(z) = k_0 \frac{(l-z)^{\sigma}}{l^{\sigma}},$$



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Optimum σ

Let us optimize σ which minimize the following function:

$$I(\sigma) = \int_{\lambda_{low}}^{\lambda_{up}} d\lambda \left(\left| \frac{F^{\sigma}(\lambda)}{k_0} \right| - 0.5 \right)^2.$$

$$\begin{array}{c} 0.6 \\ 0.5 \\ 0.4 \\ 0.3 \\ 0.2 \\ 0.1 \\ 0 \\ 20 \\ 20 \\ 40 \\ 60 \\ 80 \\ 100 \end{array}$$

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 $\sigma = 2.63$

Simulations with CST Studio

Simulations with nearly full satisfaction of the impedance matching conditions.

Correct width, height, thickness, resistors, etc.





The first beam test successfully demonstrates that the new intra-bunch FB system is quite effective to suppress intra-bunch oscillations.

- The intra-bunch FB system is now used in routine operation at J-PARC MR.
 - The beam loss at the injection is reduced from 350W to 170W.
- The polynomial electrode was proposed for a very flat transfer function of a stripline BPM.
- Measurements for proof of its validity are under preparation.